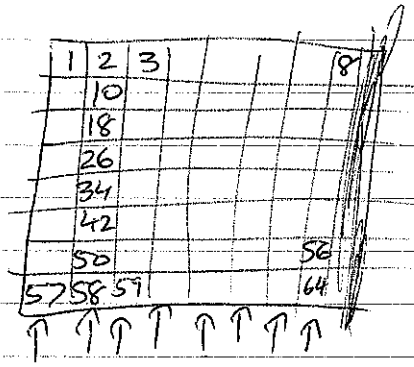
DES TO ENCRYPT

① Apply IP. to Plaintext.

58th bit goes 1st
50th bit goes 2nd
42nd bit goes 3rd, etc



② Run 16 "rounds" of encryption
"Feistel rounds"

Input L_0R_0, L_0 is left 32 bits
R_0 is right 32 bits

Next = $IP(L_0R_0) = L_0R_0$

for $(i=1;\ i<=16;\ i++)$ {

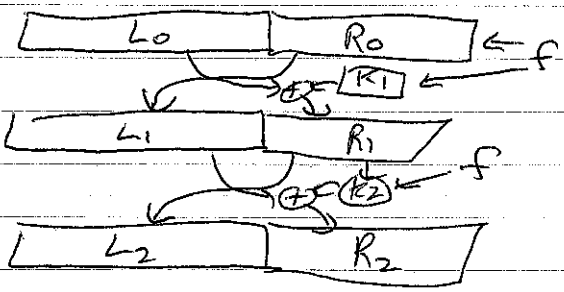
$L_i = R_{i-1}$

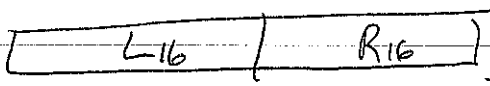
$R_i = L_{i-1} \oplus F(R_{i-1}, K_i)$

(key for round i. 48 bits)

(XOR)

}





③ $C = IP^{-1}(R_{16}L_{16})$ → MAKES DECRYPTION EASIER...

DES

Data Encryption Standard

IBM - Horst Feistel

Private Key // Symmetric

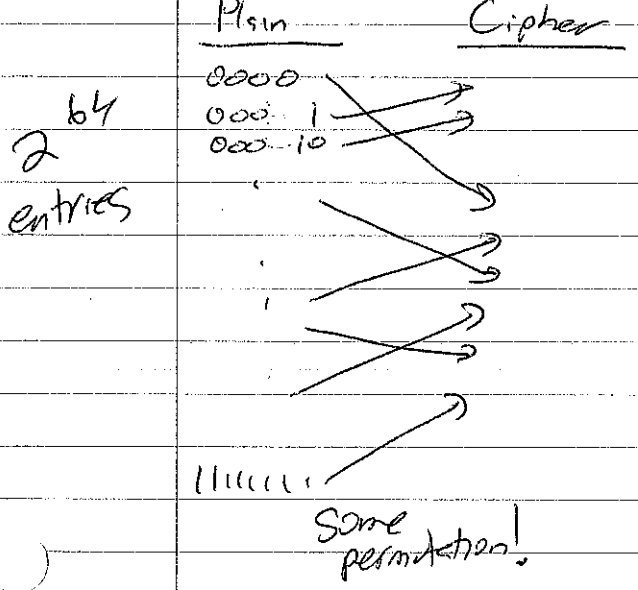
Input: 64 bit blocks
8 bytes

Key: 56 bits

Output: 64 bits

$P = P_1 P_2 P_3 \ldots P_{16}$ → P_i is 64 bits

$C = f(K, P_1) f(K, P_2) f(K, P_3) \ldots$



Now, we want to focus on $f(K, P)$

After IP, orig bit 58 goes 1st
orig bit 50 goes 2nd
⋮
orig bit 1 goes 40th

IP^{-1}

40	8	48	16	56	24	64	32
39	7	47	15	55	23	63	31

for speed we hard-code as much as we can beforehand.

EACH ROUND (32 bits, 48 bits)

Calculate a function $F(R_{i-1}, K_i)$

R_{i-1}: Right Half of previous; K_i: Round Key

1. $E(R_{i-1})$ – expand 32 bits to 48.

put bit 32 of input 1st
put bit 1 of input 2nd
put bit 2 of input 3rd
⋮

2. Calculate $E(R_{i-1}) \oplus K_i$ = 48 bits $(b_1 b_2 b_3 \ldots b_8)$ → 6 bit blocks

$$\begin{array}{r} 10011010111 \\ \oplus\ 00101101110 \\ \hline 10110111101 \end{array}$$

bitwise ↑ xor in code 9/20/16 (4)

3. Use S-boxes to calculate

for $(i = 1;\ i <= 8;\ i++)$

$$C_i = S_i(b_i)$$

↳ takes 6 bit input
produces 4 bit output

Output = 32 bits

4. $P(C_1 C_2 \ldots C_8)$

$L_i = R_{i-1}$

$R_i = L_{i-1} \oplus F(R_{i-1}, K_i)$ (XOR)

1. $E(R_{i-1}) \rightarrow$ 48 bits
2. $E(R_{i-1}) \oplus K_i \rightarrow$ 48 bits
3. $\rightarrow b_1 b_2 b_3 b_4 b_5 b_6 b_7 b_8$ (6 bit blocks

$C_i = S_i(b_i) \quad 1 \le i \le 8$

(C_i: 4 bits; b_i: 6 bits)

4. $P(C_1 C_2 \ldots C_8)$ → 32 bits

individuals

$d_1 d_2 d_3 d_4 d_5 d_6$ 6 bits

$b_1 = 101110$ ($d_1 d_2 d_3 d_4 d_5 d_6$)

row $= d_1 d_6 = 10 = 2$

col $= d_2 d_3 d_4 d_5 = 0111 = 7$

$S_1(101110) = 11 = 1011$

$S_1(111110) = 0 = 0000$

$S_1(101010) = 6 = 0110$

$S_1(001110) = 8 = 1000$

row = 10 = 2
col = 1111 (15)

row = 10 = 2
col = 0101 = 5

row = 0
col = 7

Differential Cryptanalysis

↳ One goal of NSA requirements was to thwart this type of attack.

Shown you could break DES with 2^{46} pairs of chosen plaintext + corresponding ciphertext.

LATE 90s: DES Challenge 9/28/16 (2)(3)

3 months to break a DES key 2^{56}.

⟹ Distributed Computing, try all keys

$2^{36} \sim 64$ billion

if you can do 10^6 keys / second

$$\frac{6.4 \times 10^9}{10^6} = 6.4 \times 10^3 = 6{,}400 \text{ seconds}$$

$\sim \leq 2$ hrs

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if only 10^5 keys/second $\sim$ 20 hrs

DES Key Schedule

Key input 64 bits, 8 of which are odd parity bits.

P

10011101
00010110

permuted 56 bits

64 bits w/ parity

1. $K' = PC\text{-}1(K)$

$K' = [C_0][D_0]$

28 bits 28 bits

[57, 49, 41 ... 36] [63, 55, ... 12, 4]

Goal of key schedule: Use 56 bit input key (w/ 8 bit parity) to create 16 round keys $K_1, K_2, \ldots K_{16}$ that are each 48 bits

2. for (i = 1 ; i ≤ 16 ; i++) {

$C_i = LS_i(C_{i-1}) \cdot LS_i(D_{i-1})$ $D_i =$

[49, 41, ... 36, 57] [55, ... 12, 4, 63]

$K_i = PC\text{-}2(C_i D_i)$

bit #14 is 10 in round 1
bit #17 is 51 in round 1

Triple DES

K_1, K_2

$E(E(E(m, K_1), K_2), K_1)$.

AES [128 bit key]
192 bit key
256 bit key