

SORTING

- ① Bubble Sort
- ② Insertion Sort
- ③ Selection Sort
- ④ Overall Ranking - UCF Prog Team Quals 21

Bubble Sort

King ~~Hill~~ of the Hill

1 iter	8, 2, 9, 3, 5, 1, 6, 7	
	<u>2</u> 8 3 5 1 6 7 9	(at end of 1st iteration)
	2 3 5 1 6 7 8 9	end iter 2nd
	2 3 1 5 6 7 8 9	end 3rd iter
	2 1 3 5 6 7 8 9	= 4th iter
	1 2 3 5 6 7 8 9	= 5th iter
	1 2 3 5 6 7 8 9	6th iter
	1 2 3 5 6 7 8 9	7th

→ no swaps (on wiki \Rightarrow they break early)

Runtime	1st iter	n steps	$\sum_{i=1}^n i = \frac{n(n+1)}{2}$
2^{nd} iter	$n-1$ steps		
3^{rd} iter	$n-2$ steps		$= O(n^2)$

<u>Sort</u> <u>n Items</u>	Best	Avg	Worst
Bubble	$O(n^2)$	$O(n^2)$	$O(n^2)$
Insertion	$O(n)$ So.kd	$O(n^2)$	$O(n^2)$
Selection	$O(n^2)$	$O(n^2)$	$O(n^2)$

Insertion Sort

<u>8</u>	<u>2, 9</u>	<u>3, 5, 1, 6, 7</u>					
2	8	<u>3, 5, 1, 6, 7</u>	end 1 st iter				
2	8	9	<u>3, 5, 1, 6, 7</u>	end 2 nd iter			
2	3	8	9	<u>3, 5, 1, 6, 7</u>	end 3 rd iter		
2	3	5	8	9	<u>3, 5, 1, 6, 7</u>	= 4 th	
2	3	5	8	9	1	= 5 th	
1	2	3	5	8	9	2	= 6 th iter
1	2	3	5	6	8	3	7 th iter
1	2	3	5	6	7	8	9

$$\text{Best} = \text{sorted} = 1 + 1 + 1 + \dots + 1 = O(n)$$

$$\text{Worst} = \text{reverse} = 0 + 1 + 2 + 3 + \dots + n - 1 = \frac{(n-1)n}{2} = O(n^2)$$

$$\text{Avg Case} = \frac{1}{2} + \frac{2}{2} + \frac{3}{2} + \dots + \frac{n-1}{2} = \frac{(n-1)n}{4} = O(n^2)$$

\downarrow
 expected #
 insertions

Selection Sort

8, 2, 9, 3, 5, 1, 6, 7

$$\max I = \varnothing^2$$

8, 2, 7, 3, 5, 1, 6, 9 end 1st iter (Swap 7, 9)

6, 2, 7, 3, 5, 1, 8, 9 end 2nd iter (swap 8, 6)

6, 2, 1, 3, 5, 7, 8, 9 = 3rd iter (swap 7, 1)

5, 2, 1, 3, 6, 7, 8, 9 = 4th iter (swap 6, 5)

3, 2, 1, 5, 6, 7, 8, 9 = 5th iter (swap 3, 5)

1, 2, 3, 5, 6, 7, 8, 9 = 6th iter

1, 2, 3, 5, 6, 7, 8, 9 = 7th iter (swap 2, 2)

$$n + (n-1) + (n-2) + \dots + 1 = \frac{n(n+1)}{2} = O(n^2)$$

UCF Local Contest (Qualifying Round) — September 4, 2021

Overall Ranking

filename: ranking

Difficulty Level: Easy-Medium

Time Limit: 5 seconds

The Regional Competitions of ICPC (International Collegiate Programming Contest) allow universities to enter more than one team in the contest. The scoresheet for the contest will list the ranking for each team. For example, if UCF has three teams, GT two teams, and Auburn four teams, the final team ranking may look like:

- 1 . Auburn
- 2 . GT
- 3 . UCF
- 4 . UCF
- 5 . UCF
- 6 . Auburn
- 7 . Auburn
- 8 . GT
- 9 . Auburn

The regional contest does not show the “overall performance” of each university which is the average of the team rankings for the university. For the above scoresheet, Auburn has the overall performance of $(1 + 6 + 7 + 9) / 4 = 5.75$; UCF has the overall performance of $(3 + 4 + 5) / 3 = 4.0$; and GT has the overall performance of $(2 + 8) / 2 = 5.0$. So, the overall ranking of the universities will be:

- 1 . UCF
- 2 . GT
- 3 . Auburn

Note that lower average indicates better performance, hence higher university ranking.

Assume that the universities will not have the same overall performance, i.e., no need for tiebreaker.

The Problem:

Given the scoresheet for a contest with each university having one or more teams, find the university ranking based on the overall performances.

The Input:

The first input line contains an integer, n ($2 \leq n \leq 100$), indicating the number of teams in the regional contest. The teams are listed on the following n input lines, one per line, in the order of

team ranking at the regional. Each team name will be 1 to 20 letters (uppercase and/or lowercase). Assume there will be at least two universities in the input.

The Output:

Print the universities, one per line, in the order of overall performance.

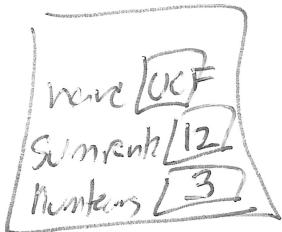
Sample Input

Sample Output

9	UCF
Auburn	GT
GT	Auburn
UCF	
UCF	
UCF	
Auburn	
Auburn	
GT	
Auburn	
7	UofX
UofX	UofC
UofA	UofA
UofC	UofB
UofB	UofY
UofA	
UofB	
UofY	
8	UB
UA	UA
UB	ua
UA	Ua
UA	uA
UA	
ua	
Ua	
uA	

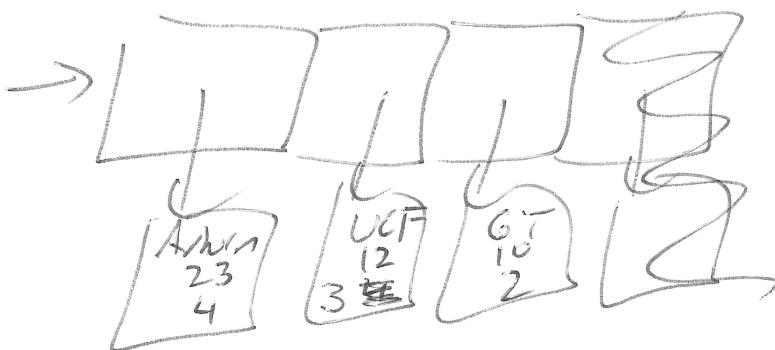
Ranking Strategy

char * & rewrite



Struct
School*

Convert (char * & rewrite, ist, n)
int * ptrNewSize)



Set (School* list,
int size)

cmp (School* itemA,
School* itemB)

$$\frac{S1 \rightarrow \text{sumR}}{S1 \rightarrow \text{numT}}$$

$$\frac{S2 \rightarrow \text{sumR}}{S2 \rightarrow \text{numT}}$$

$$S1 \rightarrow \text{sumR} + S2 \rightarrow \text{numT} < S1 \rightarrow \text{numT} + S2 \rightarrow \text{sumR}$$

$$\text{if true iff } S1 \rightarrow \text{sumR} + S2 \rightarrow \text{numT} - S1 \rightarrow \text{numT} + S2 \rightarrow \text{sumR} < 0$$