

- (1) Queues
 - (2) LL Implement
 - (3) Array Implementation
 - (4) Maths-Grid (Breadth First Search)
- (0) ULA Reminder
 - (0.1) P2 Picture

Queue - Line

First In, First Out (FIFO)

enqueue - adds item to back of line

dequeue - remove + return the front item from the queue

enqueue(7) → 7, 3, 9, 12

enqueue(3)

enqueue(9)

x = dequeue()

x[7]

enqueue(12)

y = dequeue()

y[3]

front - return w/o removing front item

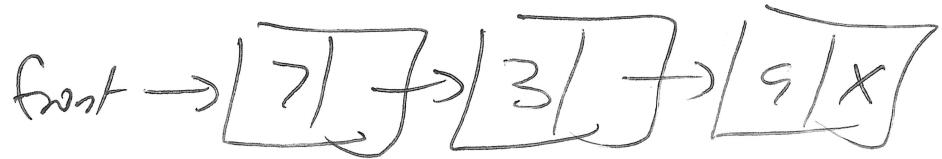
size - returns # items has

empty - returns true iff "0 elements"

full - can't add anymore.

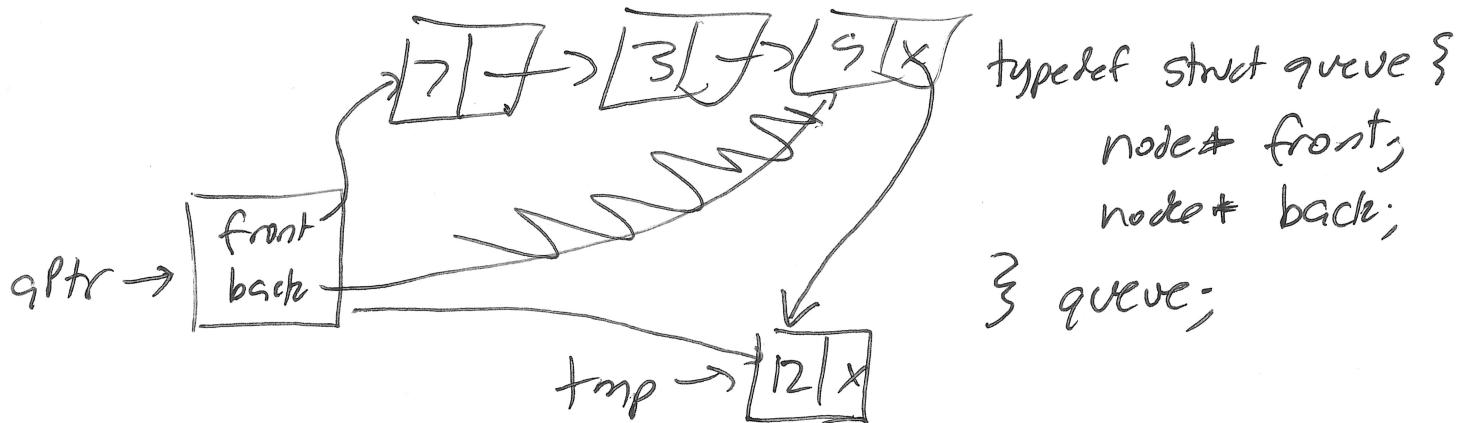
O(1)

Linked List



If I only have `ptr` to the front of the list,
how long will it take me to enqueue something?

Ans : $O(n)$, where $n = \# \text{ items}$ in the list



enqueue :

① create node

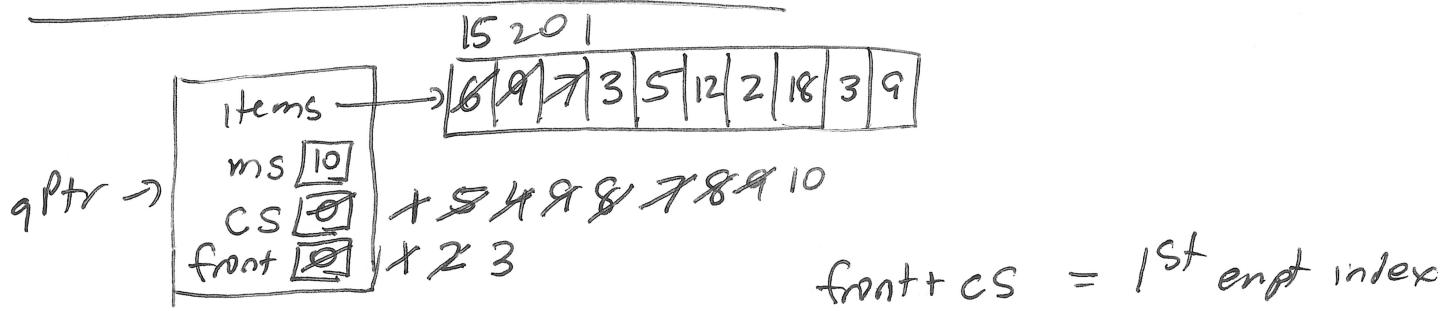
② link back to `tmp`

`qPtr->back->next = tmp;`

③ Change back

`qPtr->back = tmp;`

Array Implementation



enqueue(6)

enqueue(9)

$\emptyset :$

$x = \text{dequeue}()$

$x \boxed{6}$

enqueues :

dequeues :

* enqueue(15)

enqueue(20)

enqueue(1)

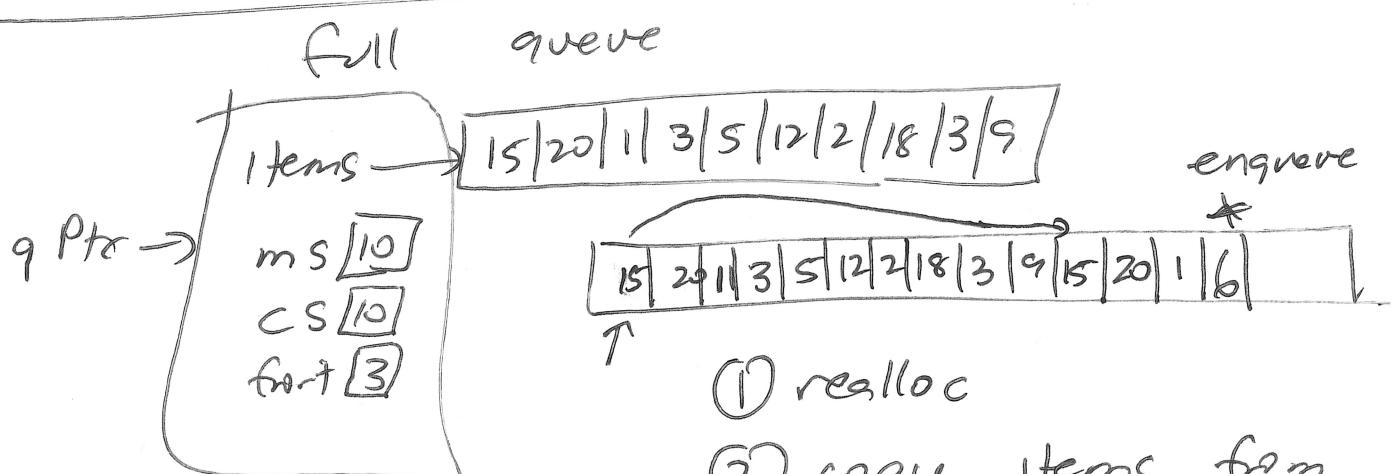
$(q\text{Ptr} \rightarrow \text{front} + q\text{Ptr} \rightarrow \text{cs}) \%$

$q\text{Ptr} \rightarrow \text{ms}$

Dequeue

$q\text{Ptr} \rightarrow \text{front} ++;$

$q\text{Ptr} \rightarrow \text{front} \% = q\text{Ptr} \rightarrow \text{ms};$



$\text{int } n = q\text{Ptr} \rightarrow \text{ms}, \text{old}$

index 0 to index front-1
"to the back"

for ($\text{int } i = 0, j = n; i < q\text{Ptr} \rightarrow \text{front}; i++, j++$) {
 $q\text{Ptr} \rightarrow \text{items}[j] = q\text{Ptr} \rightarrow \text{items}[i];$

enqueue(6)

