

© Junior Knights - restart Spr 2024

① Binary Trees / Binary Search Trees

Linked List	}	Insert data	} $O(n)$ operation when there are $n$ items in the structure.
Dyn Sized Array		Delete data	
		Search data	

struct bintreenode {

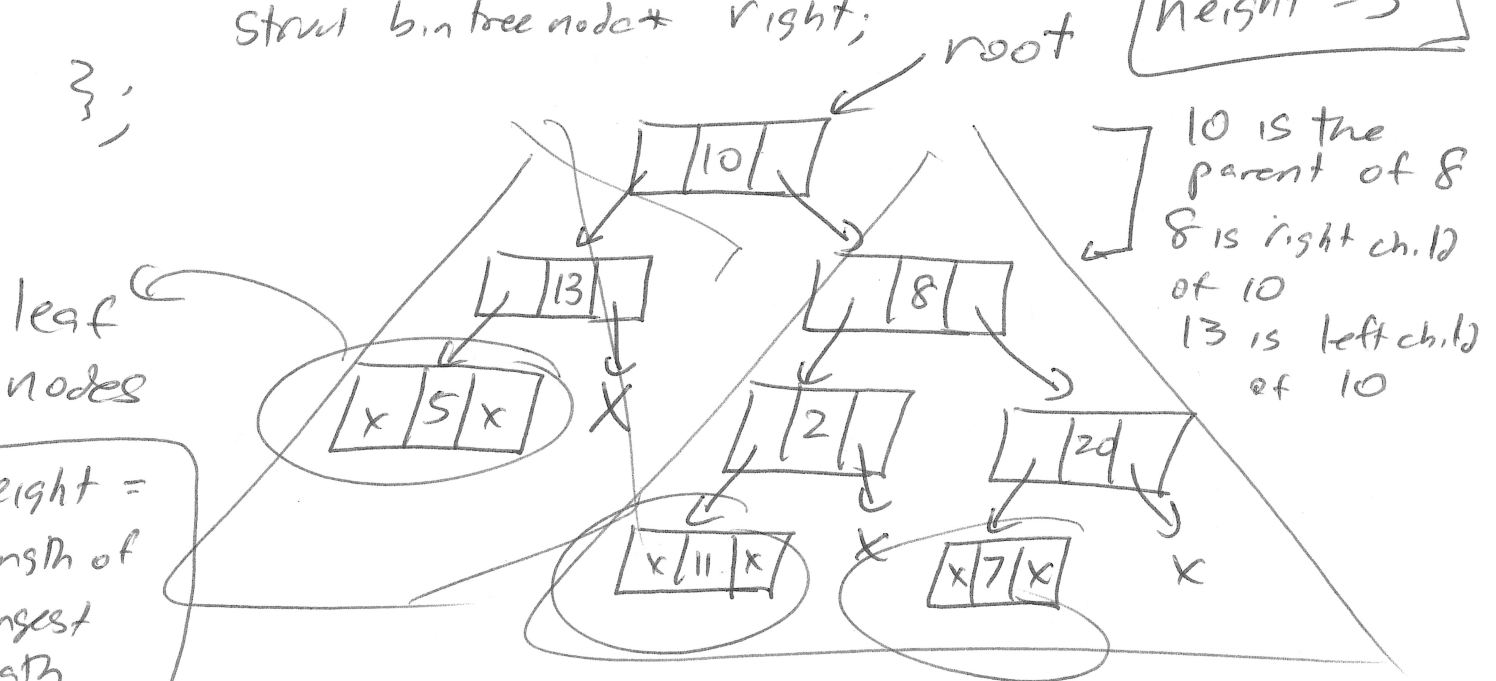
int data;

struct bintreenode\* left;

struct bintreenode\* right;

};

height = 3



height = length of longest path root to any leaf node.

Tree: a set of vertices (nodes) connected with edges (pointer links) with no cycles. there's only 1 unique simple path (no repeated vertices) btw any 2 vertices.

height of tree w/o nodes = -1

= = = = 1 node = 0

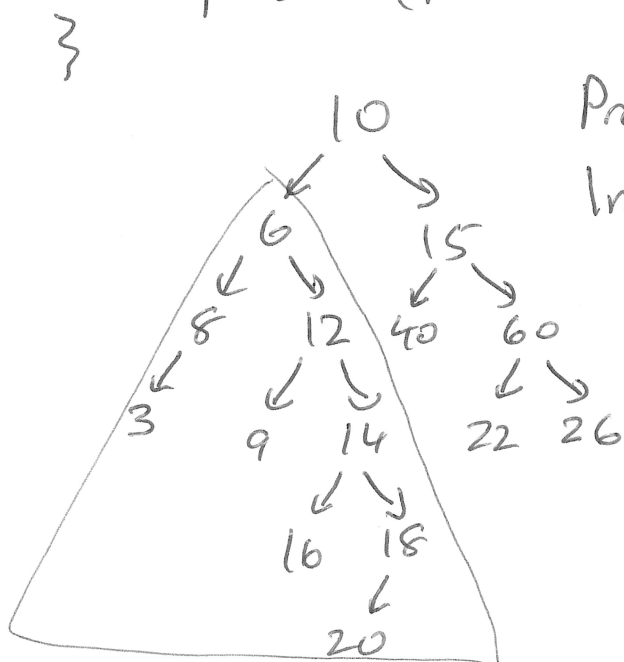
= = = w 2 nodes = 1

Structure isn't linear. How do I explore each node?

		Struct
① Preorder Traversal	①, ②, ③	① data
② Inorder Traversal	②, ①, ③	② left
③ Postorder Traversal	<del>①, ②, ③</del> ②, ③, ①	③ <del>left</del> right

```
void preorder (bintreenode * root) {
```

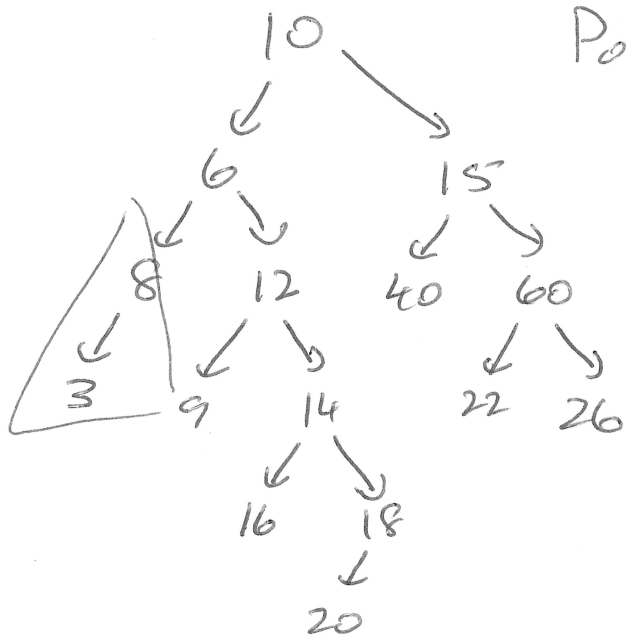
```
if (root == NULL) return;  
printf("%d\n", root->data);  
preorder (root->left);  
preorder (root->right);  
}
```



Pre: 10, 6, 8, 3, 12, 9, 14, 16, 18, 20, 15, 40, 60, 22, 26  
In: 3, 8, 6, 9, 12, 16, 14, 20, 18, 10, 40, 15, 22, 60, 26

In order

```
Inorder (root->left);  
printf("%d\n", root->data);  
Inorder (root->right);
```



Post: 3, 8, 9, 16, 20, 18, 14, 12, 6, 40, 22, 26, 60, 15, 10

post left      post right

POST ORDER

```

postorder (root -> left);
postorder (root -> right);
printf("%d\n", root -> data);
  
```

Given In, Pre  $\Rightarrow$  Post

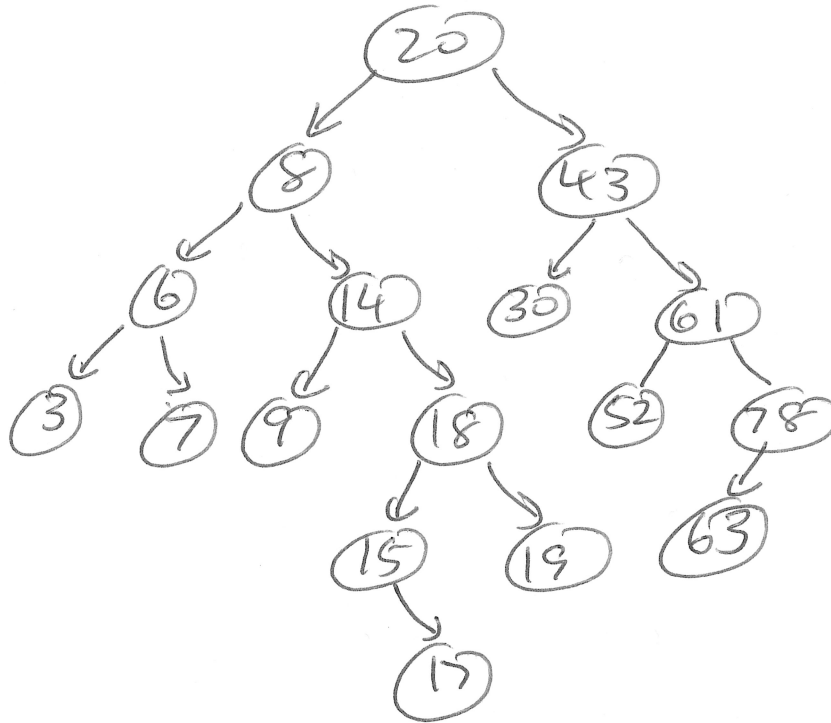
Traversal Run-Times =  $O(n)$ ,  
 n nodes in the tree

In a Binary Search Tree, we add these requirements:

- (a) all element in left subtree are  $\leq$  root
- (b) all elements in right subtree are  $>$  root.

# Sample Binary Search Tree

---



```
int search(binTreeNode* root, int value) {  
    if (root == NULL) return 0;  
    if (value < root->data)  
        return search(root->left, data value);  
    else if (value > root->data)  
        return search(root->right, data value);  
    else  
        return 1;  
}
```

$O(h)$ ,  $h = \text{height of tree}$